

Patient Mobility, Health Care Quality and Welfare

Kurt R. Brekke (Norwegian School of Economics)

Rosella Levaggi (U Brescia) Luigi Siciliani (U York)

Odd Rune Straume (U Minho - NIPE)

1 Introduction

1.1 Research questions

What are the effects of interjurisdictional patient mobility on

- health care quality?
- regional welfare?
- global welfare?

1.2 Applications

- Cross-border patient mobility in the EU:
 - still very low (1% of public health care spending in 2006);
 - new EU law passed in March 2011 that gives EU citizens the right to choose among health care providers in all EU member states;
 - the principles of cross-border reimbursement are still not very specific.
- Within-country patient mobility between separate jurisdictions:
 - Sweden (Counties); Italy (Regions); Canada (Provinces).

1.3 Theoretical analysis

1.3.1 Modelling framework

- Hotelling model with two regions: high-skill and low-skill.
- Health care financed by income taxation.
- Health care quality and income tax rate decided by regional policy makers.

1.3.2 Analysis

- Decentralisation without mobility versus centralisation.
- Mobility versus no mobility in a decentralised system.
- Comparison of different cross-border reimbursement schemes:
 - zero transfer payment;
 - transfer payment equal to marginal cost;
 - transfer payment that maximises global welfare;
 - a transfer payment system with two prices.

1.4 Related literature

- Quality competition between health care providers with fixed prices.
- Fiscal federalism (cross-border shopping).

1.5 Outline of the paper

1. Introduction
2. Model
3. The first-best solution
4. The centralised solution
5. Decentralised health care provision
6. Concluding remarks

2 Model

- Hotelling with unit demand and unit patient mass.
- Patients uniformly distributed on $L = [0, 1]$.
- Two regions:
 - Region 1: $L_1 = \left[0, \frac{1}{2}\right]$.
 - Region 2: $L_2 = \left[\frac{1}{2}, 1\right]$.

- Two health care providers:
 - The provider in Region 1 is located at 0.
 - The provider in Region 2 is located at 1.
- Health care provision is publicly funded through general income taxation and is free at the point of consumption.
- The utility of a patient who is located at $x_i \in L_i$ and treated by the provider in Region j , located at z_j , is given by

$$U(x_i, z_j) = \begin{cases} y(1 - \tau) + v + \beta q_j - t|x_i - z_j| & \text{if } i = j \\ y(1 - \tau) + v + \beta q_j - t|x_i - z_j| - f & \text{if } i \neq j \end{cases} .$$

- A fraction $1 - \lambda$ of the patients have prohibitively high values of f .
- λ is constant at each point in L .
- The cost for Region i of providing D_i treatments with quality q_i is given by

$$C_i = cD_i + G(\theta_i, q_i),$$

where $G(\theta_i, q) > (<) G(\theta_j, q)$ and $G_q(\theta_i, q) > (<) G_q(\theta_j, q)$ for all $q \geq 0$, if $\theta_i > (<) \theta_j$.

- Region 1 is the high-skill region, with superior technology for providing health care quality:

$$\theta_1 < \theta_2.$$

3 The first-best solution

- A utilitarian supraregional policy maker chooses provider quality and patient allocation:

$$\max_{x, q_1, q_2} W = y(1 - \tau) + \lambda \left(\int_0^x (v + \beta q_1 - ts) ds + \int_x^1 (v + \beta q_2 - t(1 - s)) ds \right) + (1 - \lambda) \left(\int_0^{\frac{1}{2}} (v + \beta q_1 - ts) ds + \int_{\frac{1}{2}}^1 (v + \beta q_2 - t(1 - s)) ds \right)$$

subject to the budget constraint

$$\tau y = c + G(\theta_1, q_1) + G(\theta_2, q_2).$$

- First-best qualities characterised by

$$(q_1^{fb}) : \frac{\beta}{2} \left[1 + \frac{\lambda\beta}{t} (q_1^{fb} - q_2^{fb}) \right] = G_{q_1}(\theta_1, q_1^{fb}),$$

$$(q_2^{fb}) : \frac{\beta}{2} \left[1 - \frac{\lambda\beta}{t} (q_1^{fb} - q_2^{fb}) \right] = G_{q_2}(\theta_2, q_2^{fb}),$$

which imply $q_1^{fb} > q_2^{fb}$ and $x^{fb} = \frac{1}{2} \left(1 + \frac{\beta}{t} (q_1^{fb} - q_2^{fb}) \right) > \frac{1}{2}$.

4 The centralised solution

- Provider qualities are chosen by a utilitarian central policy maker but patients are free to choose their preferred provider:

$$\max_{q_1, q_2} W = y(1 - \tau) + \lambda \left(\int_0^{\hat{x}} (v + \beta q_1 - ts) ds + \int_{\hat{x}}^1 (v + q_2 - t(1 - s)) ds \right) + (1 - \lambda) \left(\int_0^{\frac{1}{2}} (v + \beta q_1 - ts) ds + \int_{\frac{1}{2}}^1 (v + \beta q_2 - t(1 - s)) ds \right),$$

subject to

$$\tau y = c + G(\theta_1, q_1) + G(\theta_2, q_2),$$

where

$$\hat{x} = \frac{1}{2} \left(1 + \frac{\beta}{t} (q_1 - q_2) \right).$$

- Straightforward to show that $q_i^c = q_i^{fb}$ and $\hat{x}(q_1^c, q_2^c) = x^{fb}$.

5 Decentralised health care provision

- In each region, the optimal health care quality is chosen to maximise the utility of the patients living in that region.
- The cost of health care in Region i is financed by a proportional income tax τ_i .

5.1 No patient mobility

- The optimisation problem of the policy maker in Region i :

$$\max_{q_i} W_i = \frac{y}{2} (1 - \tau_i) + \int_0^{\frac{1}{2}} (v + \beta q_i - ts) ds,$$

subject to

$$\frac{\tau_i y}{2} = \frac{c}{2} + G(\theta_i, q_i).$$

- Optimal health care quality characterised by

$$\frac{\beta}{2} = G_{q_i}(\theta_i, q_i^n).$$

- Easy to verify that $q_1^n < q_1^{fb}$ and $q_2^n > q_2^{fb}$.

- Would both regions benefit from centralised policy making?
 - The high-skill region would be better off, while the low-skill region would be worse off.
- Welfare effects of centralisation for the low-skill region:
 - some of the potentially mobile patients get access to higher-quality health care in the high-skill region;
 - the remaining patients experience a drop in health care quality;
 - the tax burden is different (with ambiguous sign).

5.2 Interjurisdictional patient mobility

- The health care provider in the high-skill region cannot turn down patients who travel from the low-skill region to obtain treatment.
- The low-skill region pays a per-patient transfer price p to the high-skill region.
- The two policy makers choose qualities simultaneously and non-cooperatively.

- Region 1:

$$\max_{q_1} W_1 = \frac{y}{2} (1 - \tau_1) + \int_0^{\frac{1}{2}} (v + \beta q_1 - ts) ds,$$

subject to

$$\frac{\tau_1 y}{2} = \frac{c}{2} - (p - c) \lambda \left(\hat{x} - \frac{1}{2} \right) + G(\theta_1, q_1).$$

- Region 2:

$$\begin{aligned} \max_{q_2} W_2 &= \frac{y}{2} (1 - \tau_2) + \lambda \int_{\frac{1}{2}}^{\hat{x}} (v + \beta q_1 - ts) ds \\ &+ (1 - \lambda) \int_{\frac{1}{2}}^{\hat{x}} (v + \beta q_2 - t(1 - s)) ds \\ &+ \int_{\hat{x}}^1 (v + \beta q_2 - t(1 - s)) ds, \end{aligned}$$

subject to

$$\frac{\tau_2 y}{2} = \frac{c}{2} + (p - c) \lambda \left(\hat{x} - \frac{1}{2} \right) + G(\theta_2, q_2).$$

- Nash equilibrium qualities characterised by

$$(q_1^m) : \frac{\beta}{2} \left(1 + \frac{\lambda}{t} (p - c) \right) = G_{q_1} (\theta_1, q_1^m),$$

$$(q_2^m) : \frac{\beta}{2} \left(1 + \frac{\lambda}{t} (p - c - \beta (q_1^m - q_2^m)) \right) = G_{q_2} (\theta_2, q_2^m).$$

- In equilibrium: $q_1^m > q_2^m$, and

$$\frac{\partial q_1^m}{\partial p} > 0, \quad \frac{\partial q_2^m}{\partial p} > 0.$$

- A higher transfer price intensifies quality competition between the two regions.

5.2.1 No transfer payment

- Suppose that $p = 0$.
- The Nash equilibrium is characterised by

$$(q_1^m) : \frac{\beta}{2} \left(1 - \frac{\lambda c}{t} \right) = G_{q_1}(\theta_1, q_1^m),$$

$$(q_2^m) : \frac{\beta}{2} \left(1 - \frac{\lambda}{t} (c + \beta (q_1^m - q_2^m)) \right) = G_{q_2}(\theta_2, q_2^m).$$

- Compared with no mobility:

- $q_1^m < q_1^n < q_1^{fb}$ and $q_2^{fb} \geq q_2^m < q_2^n$;

- allowing for interjurisdictional patient mobility without transfer payments leads to a "race-to-the-bottom" in terms of health care quality;

- welfare goes down in both regions.

5.2.2 Transfer payment equal to marginal cost

- Suppose that $p = c$.
- The Nash equilibrium is characterised by

$$(q_1^m) : \frac{\beta}{2} = G_{q_1}(\theta_1, q_1^m),$$

$$(q_2^m) : \frac{\beta}{2} \left(1 - \frac{\lambda\beta}{t} (q_1^m - q_2^m) \right) = G_{q_2}(\theta_2, q_2^m).$$

- Compared with no mobility:

- $q_1^m = q_1^n < q_1^{fb}$ and $q_2^{fb} < q_2^m < q_2^n$;

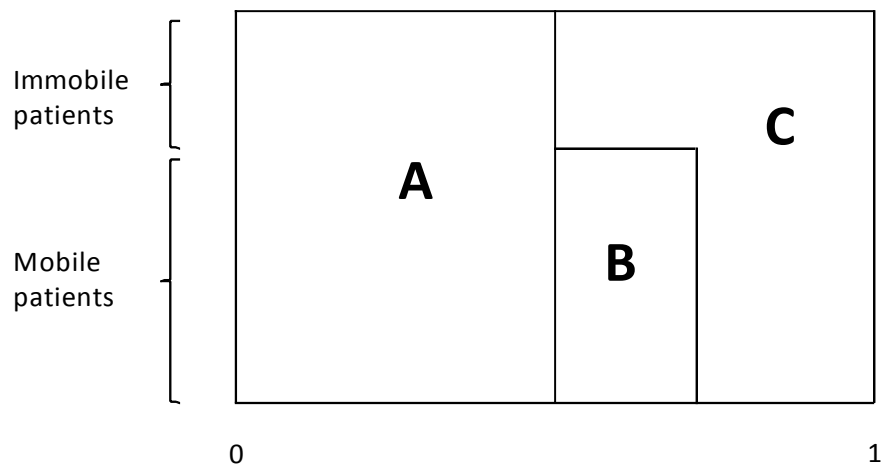
- mobility has no effect on welfare in the high-skill region;

- welfare goes up in the low-skill region.

- Mobility with $p = c$ has three different welfare effects in the low-skill region:
 - some patients get access to higher-quality health care in the other region;
 - the remaining patients experience a drop in health care quality;
 - the tax burden goes down.

- At regional level, allowing for mobility with $p = c$ is a Pareto improvement.
- However, there are winners and losers within the low-skill region:

Figure 1. Effect of patients' mobility when transfer payment is equal to marginal cost



Patients in area A are indifferent
Patients in area B gain
Patients in area C lose

- The losers will outnumber the winners if
 - the number of immobile patients is sufficiently low;
 - travelling costs are sufficiently high;
 - the marginal utility of quality is sufficiently low;
 - the skill-difference is sufficiently low.

5.2.3 Optimal transfer payment

- Suppose p is chosen to maximise global welfare: $p = p^*$.
- Even if $p = p^*$, the first-best outcome cannot be implemented with decentralised policy making.
- The optimal transfer payment implies underprovision (overprovision) of quality in the high-skill (low-skill) region.
- With quadratic quality costs, the optimal transfer price is given by

$$p^* = c + \frac{t\beta^2(\theta_2 - \theta_1)}{(\theta_1 + \theta_2)(2t\theta_1 - \lambda\beta^2)}.$$

- Notice that:
 - the optimal price is higher than marginal costs;
 - increased patient mobility (λ) increases the optimal price.

- Compared with no mobility:
 - $q_1^n < q_1^m < q_1^{fb}$ and $q_2^{fb} < q_2^m < q_2^n$;
 - welfare goes up in the high-skill region;
 - welfare goes down in the low-skill region.

5.2.4 Transfer payments with two prices

- Suppose Region 2 pays p_2 while Region 1 receives p_1 , for each patient from Region 2 seeking treatment in Region 1.
- If $p_1 \neq p_2$, there is an extra tax bill of $(p_1 - p_2) \lambda \left(\hat{x} - \frac{1}{2} \right)$.
- Suppose that tax payers in Region 1 pay a share α of the extra tax bill, while tax payers in Region 2 pay the remaining share $1 - \alpha$.

- The two budget constraints are now given by

$$\begin{aligned} \frac{\tau_1 y}{2} &= c \left(\frac{1}{2} + \left(\hat{x} - \frac{1}{2} \right) \right) + G(q_1, \theta_1) - p_1 \lambda \left(\hat{x} - \frac{1}{2} \right) \\ &\quad + \alpha (p_1 - p_2) \lambda \left(\hat{x} - \frac{1}{2} \right) \end{aligned}$$

and

$$\begin{aligned} \frac{\tau_2 y}{2} &= \left((1 - \lambda) \left(\hat{x} - \frac{1}{2} \right) + 1 - \hat{x} \right) c + G(q_2, \theta_2) + p_2 \lambda \left(\hat{x} - \frac{1}{2} \right) \\ &\quad + (1 - \alpha) (p_1 - p_2) \lambda \left(\hat{x} - \frac{1}{2} \right). \end{aligned}$$

- The Nash equilibrium is characterised by

$$(q_1^m) : \frac{\beta}{2} \left[1 + \frac{\lambda}{t} [(1 - \alpha) p_1 + \alpha p_2 - c] \right] = G_{q_1}(\theta_1, q_1^m),$$

$$(q_2^m) : \frac{\beta}{2} \left[1 + \frac{\lambda}{t} [(1 - \alpha) p_1 + \alpha p_2 - c - \beta (q_1^m - q_2^m)] \right] = G_{q_2}(\theta_2, q_2^m).$$

- For any pair of prices, (p_1, p_2) , a uniform price

$$p = (1 - \alpha) p_1 + \alpha p_2$$

yields exactly the same outcome.

- Thus, a more sophisticated transfer payment scheme with two prices does not improve on the solution with $p = p^*$.

6 Summary

- Patient mobility is potentially beneficial for global welfare when regions differ in their ability to provide health care quality.
- However, the welfare effects of imposing patient mobility crucially depends on the design of the transfer payment scheme.
- The transfer price needs to be sufficiently high in order to avoid a "race-to-the-bottom" effect.
- Allowing for patient mobility with a transfer price equal to marginal cost is a Pareto improvement at regional (but not individual) level.

- The transfer price that maximises global welfare does not constitute a Pareto improvement.
- A more complex transfer pricing system with different prices for the "exporting" and "importing" regions does not bring any additional advantages.